### Dependences of Damping Frequency and Damping Factor of Bi-Polar Trigger Waveforms on Transient-Induced Latchup

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Abstract – The dependences of damping frequency and damping factor of bi-polar trigger waveforms on transient-induced latchup (TLU) were characterized by device simulation and verified by experimental measurement. From the simulation results, the bi-polar trigger waveform with damping frequency of several tens of megahertz can trigger on TLU most easily. But, TLU is less sensitive to bi-polar trigger waveforms with an excessively large damping factor, an excessively high damping frequency, or an excessively low damping frequency. The simulation results have been experimentally verified with the silicon controlled rectifier (SCR) test structures fabricated in a 0.25-μm CMOS technology.

#### I. Introduction

Recently, transient-induced latchup (TLU) has attracted much more reliability attentions than before in CMOS technology [1]-[8]. This tendency results from not only the progress of the more integrated functionality into a single chip, but also the strict requirements of reliability test standards such as system-level electrostatic discharge (ESD) test [9] for electromagnetic compatibility (EMC) regulation. Under such a system-level ESD test, it has been proved that the bi-polar (underdamped sinusoidal) voltage on power or ground lines (pins) of CMOS ICs can easily trigger on TLU [10], even though such TLU-sensitive CMOS ICs have already met the requirements of the quasi-static latchup test standard [11].

TLU immunity of CMOS ICs is strongly dependent on the related dominant parameters of the bi-polar trigger voltage such as voltage amplitude, damping frequency, and damping factor. In real situations, all these parameters depend on the charged voltage of ESD gun, the adopted TLU test mode, and the resonance network where the device under test (DUT) located, etc. The board-level transient voltage coupled into chips will strongly depend on the parasitic capacitance, inductance, and resistance of metal traces in board-level and chip-level layout. Furthermore,

some of board-level noise decoupling filters are often used to reduce the transient voltage into chips. Therefore, the damping frequency and damping factor of the bi-polar trigger waveforms reaching to the chips will be different in each case. However, so far it hasn't been investigated yet how these parameters will affect the TLU immunity of the DUT.

In this work, the dependences of both damping frequency and damping factor of bi-polar trigger waveforms on transient-induced latchup are investigated with device simulation and silicon verification.

#### II. Test Structure and Test Method

An SCR structure is used as the test structure for TLU measurements because the occurrence of latchup results from the parasitic SCR in CMOS ICs. The device cross-sectional view and layout top view of the SCR structure are sketched in Figs. 1(a) and 1(b), respectively. The geometrical parameters such as D, S, and W represent the distances between well-edge and well (substrate) contact, anode and cathode, and the adjacent contacts, respectively. All the SCR structures are fabricated in a 0.25-µm salicided CMOS technology.

To practically demonstrate the occurrence of TLU, a component-level TLU measurement setup with bipolar trigger is used [12], as shown in Fig. 2. Through

an optimal design for placing a small current-limiting resistance ( $5\Omega$ ) but removing the current-blocking diode between  $V_{DD}$  node and the power supply, this measurement setup can accurately evaluate the TLU immunity of DUT without over estimation [13]. An ESD simulator is used to generate the bi-polar trigger voltage,  $V_{Charge}$ . A capacitor with capacitance of 200pF is employed as the charged capacitor. The DUT is the SCR structure shown in Fig. 1. The P<sup>+</sup> anode and the N<sup>+</sup> well contact of SCR are connected together to  $V_{DD}$ , whereas the N<sup>+</sup> cathode and the P<sup>+</sup> substrate contact are connected together to ground.  $I_{DD}$  is the current flowing into the P<sup>+</sup> anode and the N<sup>+</sup> well contact of SCR.

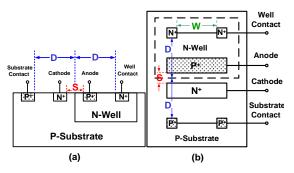


Fig. 1. (a) Device cross-sectional view, and (b) layout top view, of the SCR structure in CMOS process for TLU measurements.

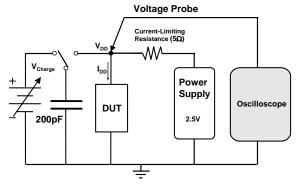


Fig. 2. A component-level TLU measurement setup with bi-polar trigger [12].

With bi-polar trigger sources ( $V_{Charge}$ ) of +10V and +15V, Figs. 3(a) and 3(b) show the measured  $V_{DD}$  and  $I_{DD}$  transient responses of SCR, respectively. In Fig. 3(a), with a smaller  $V_{Charge}$  of +10V, TLU doesn't occur, and  $V_{DD}$  acts as the intended bi-polar voltage just similar to that under the system-level ESD test [14]. In Fig. 3(b), with a larger  $V_{Charge}$  of +15V, TLU is triggered on. Thus,  $I_{DD}$  will significantly increase up to 120mA, and  $V_{DD}$  is pulled down to the latchup holding voltage (~1.5V). Those measured waveforms have demonstrated the occurrence of transient-induced latchup.

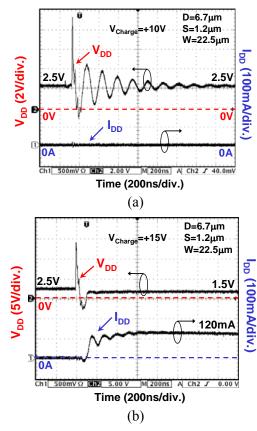


Fig. 3. The measured  $V_{DD}$  and  $I_{DD}$  transient responses of the SCR with  $V_{Charge}$  of (a) +10, and (b) +15V.

### **III. TLU Simulation**

A two-dimensional device simulation tool (MEDICI) is used to characterize the dependences of both damping frequency and damping factor of bi-polar trigger waveforms on TLU. As shown in Fig. 4, a specified SCR structure with geometrical parameters of D=6.7 $\mu$ m and S=1.2 $\mu$ m (the same as that in Fig. 3) is used for all the TLU device simulation in this work. To apply a bi-polar trigger waveform on V<sub>DD</sub> of the defined SCR structure, a specific time-dependent voltage source function in the following is used

$$V_{DD}(t) = V_0 + V_P \cdot \exp(-(t - t_d)D_{Factor}) \cdot \sin(2\pi D_{Frea}(t - t_d)). \tag{1}$$

With the proper parameters such as initial voltage  $V_0$ , time delay  $t_d$ , applied voltage amplitude  $V_P$ , damping factor  $D_{Factor}$ , and damping frequency  $D_{Freq}$ , an intended bi-polar voltage can be constructed. For simplicity, in this work, both  $V_0$  and  $t_d$  are kept at the fixed values of 2.5V and 50ns, respectively. Fig. 5 shows the simulated  $V_{DD}$  and  $I_{DD}$  transient responses for the bi-polar trigger voltage ( $V_{DD}(t)$  in (1)) with  $D_{Factor}$ ,  $D_{Freq}$ , and  $V_P$  of  $2\times10^7 s^{-1}$ , 20MHz, and +14.6V, respectively. Clearly,  $V_{DD}$  is the intended positive-going bi-polar voltage. Once TLU is triggered on by

the sweep-back current,  $I_{Sb}$  [10], caused by the stored minority carriers within SCR,  $I_{DD}$  will significantly increase when  $V_{DD}$  increases from the negative peak voltage,  $-V_{Peak}$ , to the normal operating voltage of +2.5V (87.5ns<t<112.5ns, in Fig. 5). Furthermore,  $I_{DD}$  is kept at a high current state (150mA) when  $V_{DD}$  finally returns to its normal operating voltage of +2.5V.

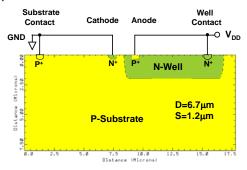


Fig. 4. The SCR structure used in a two-dimensional device simulation tool (MEDICI).

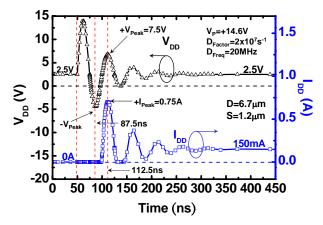


Fig. 5. The simulated  $V_{DD}$  and  $I_{DD}$  transient responses for bipolar trigger voltage ( $V_{DD}$ ) with  $D_{Factor}$ ,  $D_{Freq}$ , and  $V_P$  of  $2\times10^7 s^{-1}$ , 20MHz, and +14.6V, respectively. TLU is triggered on by the sweep-back current [10] when  $V_{DD}$  increases from - $V_{Peak}$  to the normal operating voltage of +2.5V (87.5ns<t<112.5ns).

Fig. 6 shows the corresponding simulated 2-D current flow lines with respect to various transient timing points. Forward well (substrate) contact current appears when N-well/P-substrate junction is forward-biased (timing points C and D). When  $V_{DD}$  increases from  $-V_{Peak}$  (timing points C) to the normal operating voltage of +2.5V (timing points E), TLU can be triggered on due to large enough  $I_{Sb}$  (timing points E-H). The simulation results in Figs. 5 and 6 are consistent with the experimental verification in Fig. 3. So, the device simulation proposed in this work can be used to investigate the dependences of damping frequency and damping factor of bi-polar trigger waveforms on TLU.

The parameter of  $\text{-V}_{\text{Peak}}$  is an important reference value because it determines how large  $I_{\text{Sb}}$  will be produced. For  $V_{\text{DD}}$  at  $\text{-V}_{\text{Peak}}$ , the N-well/P-substrate junction of SCR has the largest forward-biased current. Such forward-biased current will result in  $I_{\text{Sb}}$  to initiate TLU when  $V_{\text{DD}}$  increases from  $\text{-V}_{\text{Peak}}$  to the normal operating voltage of +2.5V. Larger (i.e. more negative)  $\text{-V}_{\text{Peak}}$  will result in larger  $I_{\text{Sb}}$ , so that TLU can be triggered on more easily. In addition to the parameter of  $\text{-V}_{\text{Peak}}$ , the time period needed for bipolar trigger voltage increasing from  $\text{-V}_{\text{Peak}}$  to the normal operating voltage (+2.5V) is also an important parameter to determine whether TLU occurs [10]. If such time period is too long, TLU doesn't occur due to insufficient  $I_{\text{Sb}}$ .

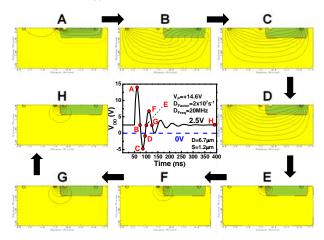


Fig. 6. The simulated 2-D current flow lines with respect to various transient timing points. Here the bi-polar trigger voltage has  $D_{Factor}$ ,  $D_{Freq}$ , and  $V_P$  of  $2\times10^7s^{-1}$ , 20MHz, and +14.6V, respectively.

# A. Relations between $D_{Factor}$ and Minimum Positive (Negative) $V_P$ to Initiate TLU

With a fixed  $D_{Freq}$  of 8MHz, the relations between  $D_{Factor}$  and  $V_{P^+}$  ( $V_{P^-}$ ) are shown in Fig. 7.  $V_{P^+}$  ( $V_{P^-}$ ) is defined as the magnitude of minimum positive (negative)  $V_P$  to initiate TLU. If the magnitude of the applied positive (negative)  $V_P$  is smaller than  $V_{P^+}$  ( $V_{P^-}$ ), TLU will not be triggered on. The reason is that a too small  $V_P$  cannot provide a large enough  $-V_{Peak}$  (i.e. large enough  $I_{Sb}$ ) to initiate TLU. In addition, because  $D_{Factor}$  determines how fast the bi-polar trigger voltage will be attenuated in time domain, so  $-V_{Peak}$  strongly depends on  $D_{Factor}$ . For example, larger  $D_{Factor}$  means larger voltage attenuation within the first cycle of the bi-polar trigger waveform (i.e. smaller  $-V_{Peak}$  or  $I_{Sb}$ ). Thus, the relations between  $D_{Factor}$  and  $V_{P^+}$  ( $V_{P^-}$ ) are very important for TLU characterization.

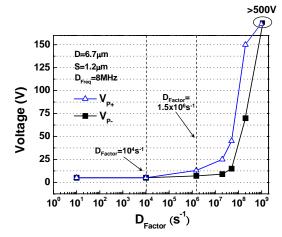


Fig. 7. The relations between  $D_{Factor}$  and  $V_{P+}$  ( $V_{P-}$ ).  $V_{P+}$  ( $V_{P-}$ ) is defined as the magnitude of minimum positive (negative)  $V_P$  to initiate TLU.

For  $D_{Factor} < 10^4 s^{-1}$ , both  $V_{P^+}$  and  $V_{P^-}$  are independent on  $D_{Factor}$  and equal to 6V. From (1), for the given  $D_{Freq}$  of 8MHz, such small  $D_{Factor}$  will not result in an obvious voltage attenuation within the first cycle of the bi-polar trigger waveform (i.e.  $-V_{Peak}$  isn't obviously attenuated). Thus, for such a low  $D_{Factor}$ , if a known minimum  $-V_{Peak}$  to initiate TLU of SCR is fixed, both  $V_{P^+}$  and  $V_{P^-}$  are the same and independent to  $D_{Factor}$ .

For  $D_{Factor} > 10^4 s^{-1}$ , both  $V_{P+}$  and  $V_{P-}$  increase with  $D_{Factor}$ . The reason is that a larger  $D_{Factor}$  will result in a larger voltage attenuation (i.e. smaller  $-V_{Peak}$ ) within the first cycle of the bi-polar trigger waveform, so a larger  $V_{P+}$  ( $V_{P-}$ ) is necessary for a higher  $D_{Factor}$  to provide a known fixed  $-V_{Peak}$  (i.e. known fixed  $I_{Sb}$ ) which can initiate TLU. In addition, with a given  $D_{Factor}$ ,  $V_{P+}$  is larger than  $V_{P-}$ . Compared with the negative-going ( $V_{P} < 0$ ) bi-polar voltage, the positive-going ( $V_{P} > 0$ ) bi-polar voltage needs to take additional half duration for decaying before it reaches to  $-V_{Peak}$ . As a result,  $V_{P+}$  larger than  $V_{P-}$  is necessary to compensate the additional voltage attenuation within the half duration if the minimum  $-V_{Peak}$  to initiate TLU is fixed.

## B. Relations between $D_{Freq}$ and Minimum Positive (Negative) $V_P$ to Initiate TLU

With a fixed  $D_{Factor}$  of  $1.5 \times 10^6 s^{-1}$ , the relations between  $D_{Freq}$  and  $V_{P+}$  ( $V_{P-}$ ) are shown in Fig. 8.  $D_{Freq}$  is inverse proportional to the duration of bi-polar trigger waveform. Thus,  $D_{Freq}$  determines how fast the bi-polar trigger waveform will be attenuated within its first duration (cycle). For example, for a fixed  $V_P$  and

 $D_{Factor},$  larger  $D_{Freq}$  (shorter duration) means that bipolar trigger voltage takes less time for decaying before reaching to -V\_{Peak} (i.e. larger -V\_{Peak}). That is, -V\_{Peak} (I\_{Sb}) also strongly depends on  $D_{Freq}$ , so the relations between  $D_{Freq}$  and  $V_{P^+}$  (V\_{P^-}) are significant for TLU characterization.

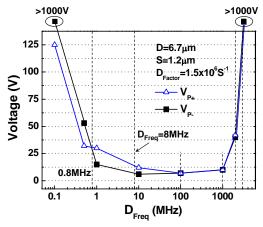


Fig. 8. The relations between  $D_{Freq}$  and  $V_{P^+}$  ( $V_{P^-}$ ).  $V_{P^+}$  ( $V_{P^-}$ ) is defined as the magnitude of minimum positive (negative)  $V_P$  to initiate TLU.

For  $0.8 MHz < D_{Freq} < 100 MHz$ ,  $V_{P+}$  is larger than  $V_{P-}$  because the positive-going bi-polar voltage takes additional half duration for decaying before it reaches to  $-V_{Peak}$ . Thus,  $V_{P+}$  larger than  $V_{P-}$  is needed to compensate the additional voltage attenuation within the half duration if the minimum  $-V_{Peak}$  to initiate TLU is fixed.

For  $D_{Freq} < 0.8MHz$ , however,  $V_{P+}$  is smaller than  $V_{P-}$ . For  $V_{P-}$  case, Fig. 9 shows the simulated  $V_{DD}$  and  $I_{DD}$ transient responses for bi-polar trigger voltage with  $D_{Factor}$ ,  $D_{Freq}$ , and  $V_P$  of  $1.5 \times 10^6 s^{-1}$ , 0.1 MHz, and -200V, respectively. Clearly, the given D<sub>Factor</sub> of 1.5×10<sup>6</sup>s<sup>-1</sup> is too large for such a low-frequency bipolar trigger to perform a negative-going bipolar voltage, but a negative-going uni-polar overdamped voltage instead. TLU doesn't occur because the time period needed for V<sub>DD</sub> increasing from -V<sub>Peak</sub> to the normal operating voltage (+2.5V) is too long ( $\sim3\mu s$ ) to generate sufficient I<sub>Sb</sub> [10], even though the magnitude of -V<sub>Peak</sub> is as high as 28V. Thus, I<sub>DD</sub> is negligible after V<sub>DD</sub> finally returns to its normal operating voltage (+2.5V). For V<sub>P+</sub> case, Fig. 10 shows the simulated  $V_{DD}$  and  $I_{DD}$  transient responses for bi-polar trigger with the same parameters as those used in Fig. 9 but with V<sub>P</sub> of +150V. Similarly, the given  $D_{Factor}$  of  $1.5 \times 10^6 s^{-1}$  is too large for such a lowfrequency V<sub>DD</sub> to perform a positive-going bipolar voltage, but a positive-going uni-polar overdamped voltage instead.

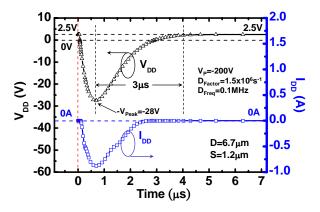


Fig. 9. The simulated  $V_{DD}$  and  $I_{DD}$  transient responses for bi-polar trigger voltage with  $D_{Factor}$ ,  $D_{Freq}$ , and  $V_P$  of  $1.5 \times 10^6 s^{-1}$ , 0.1 MHz, and -200V, respectively. TLU doesn't occur because the time period needed for  $V_{DD}$  increasing from - $V_{Peak}$  to the normal operating voltage (+2.5V) is too long (~3  $\mu$ s) to generate sufficient  $I_{Sb}$  [10].

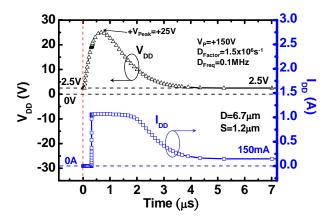


Fig. 10. The simulated  $V_{DD}$  and  $I_{DD}$  transient responses for bipolar trigger voltage with the same parameters as those used in Fig. 9 but with  $V_P$  of +150V. TLU can be triggered on by the transient displacement current while  $V_{DD}$  initially increases from the normal operating voltage (+2.5V) to + $V_{Peak}$ .

However, TLU can be triggered on by the transient displacement current while V<sub>DD</sub> initially increases from the normal operating voltage ( $\pm 2.5V$ ) to  $\pm V_{Peak}$ , even though the magnitudes of both V<sub>P</sub> and +V<sub>Peak</sub> (150V and 25V) are lower than those (200V and 28V) in Fig. 9. Once TLU is triggered on, I<sub>DD</sub> will significantly increase with  $V_{\text{DD}}$ , and finally is kept at a high current state (150mA) when V<sub>DD</sub> finally returns to the normal operating voltage (+2.5V). Thus, from the simulation results in Figs. 9 and 10, it can be founded out that the positive-going uni-polar trigger can initiate TLU more easily than negative-going unipolar trigger if the time period needed for negativegoing uni-polar trigger increasing from -V<sub>Peak</sub> to the normal operating voltage (+2.5V) is too long (~3µs in Fig. 9).

For  $D_{Freq}>100MHz$ , both  $V_{P+}$  and  $V_{P-}$  are almost the same because the given  $D_{Factor}$  of  $1.5 \times 10^6 \text{ s}^{-1}$  is too small to produce an apparent voltage attenuation of such a high-frequency bi-polar trigger within its first duration (i.e. -V<sub>Peak</sub> isn't obviously attenuated). Thus, if a known minimum -V<sub>Peak</sub> to initiate TLU of SCR is fixed, both  $V_{P+}$  and  $V_{P-}$  will be almost the same. In addition, for  $D_{\text{Freq}}\!\!>\!\!1000\text{MHz},$  both  $V_{\text{P+}}$  and  $V_{\text{P-}}$ significantly increase, as shown in Fig. 8. Fig. 11 shows the simulated V<sub>DD</sub> and I<sub>DD</sub> transient responses for bi-polar trigger with  $D_{\text{Factor}},\ D_{\text{Freq}},\ \text{and}\ V_{\text{P}}$  of 1.5×10<sup>6</sup>s<sup>-1</sup>, 2GHz, and -60V, respectively. Clearly, +I<sub>Peak</sub> doesn't appear at +V<sub>Peak</sub> but at the end of the first duration (~50.5ns). That is, I<sub>DD</sub> cannot follow the V<sub>DD</sub> variation in time for such a high-D<sub>Freq</sub> (>1GHz) bi-polar trigger waveform. Thus, +I<sub>Peak</sub> of 0.3A is lower than that (0.75A) for low-D<sub>Freq</sub> (20MHz) case in Fig. 5, even though +V<sub>Peak</sub> of +60V is much larger than that (+7.5V) in Fig. 5. This means that the higher  $V_{P+}$  or  $V_{P-}$  is necessary for such a high- $D_{Freq}$  (>1GHz) bi-polar trigger waveform to provide a fixed I<sub>Sb</sub> which can initiate TLU, so both  $V_{P+}$  and  $V_{P-}$  will increase for D<sub>Freq</sub>>1GHz. If D<sub>Freq</sub> further increases to above 3GHz, TLU doesn't occur (both  $V_{P+}$  and  $V_{P-}$  larger than 1000V). The reason is that the duration of bi-polar trigger isn't long enough to sustain a positivefeedback latchup event.

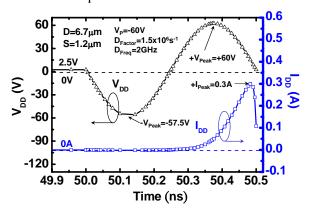


Fig. 11. The simulated  $V_{DD}$  and  $I_{DD}$  transient responses for bipolar trigger voltage with  $D_{Factor}$ ,  $D_{Freq}$ , and  $V_P$  of  $1.5\times10^6 s^{-1}$ ,  $2 \, \text{GHz}$ , and  $-60 \, \text{V}$ , respectively.  $I_{DD}$  cannot follow the  $V_{DD}$  variation in time for such a high- $D_{Freq}$  (>1GHz) bi-polar trigger waveform, because  $+I_{Peak}$  doesn't appear at  $+V_{Peak}$  but at the end of the first duration (~50.5ns).

## C. Relations between $D_{Factor}$ and Minimum $D_{Freq}$ to Initiate TLU

With a fixed  $V_P$  of both +15V and -15V, the relations between  $D_{Factor}$  and  $D_{Freq(min)}$  are shown in Fig. 12.  $D_{Freq(min)}$  is defined as the minimum  $D_{Freq}$  to initiate TLU. If the  $D_{Freq}$  of bi-polar trigger waveform is lower than  $D_{Freq(min)}$ , TLU will not be triggered on due to an

insufficient  $I_{Sb}$  because of the following two reasons. First, a too low  $D_{Freq}$  will result in a too long duration of the bi-polar trigger waveform. For a large  $D_{Factor}$ , such long duration will lead a serious voltage attenuation within the first cycle of the bi-polar trigger waveform, so there is no large enough - $V_{Peak}$  to provide sufficient  $I_{Sb}$  to initiate TLU. Second, for a small  $D_{Factor}$ , although there is no serious voltage attenuation within the first cycle of the bi-polar trigger waveform (i.e. - $V_{Peak}$  will not be serious attenuated), TLU doesn't occur. The reason is that the time period needed for  $V_{DD}$  increasing from - $V_{Peak}$  to the normal operating voltage (+2.5V) is too long to provide sufficient  $I_{Sb}$  [10] for initiating TLU. Therefore, the occurrence of TLU is dominated by  $D_{Freq}$  and  $D_{Factor}$ .

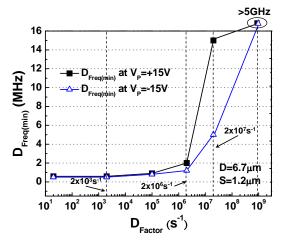


Fig. 12. The relations between  $D_{Factor}$  and  $D_{Freq(min)}$ .  $D_{Freq(min)}$  is defined as the minimum  $D_{Freq}$  to initiate TLU under a fixed  $V_P$  of +15V or -15V.

For  $D_{Factor} < 2 \times 10^3 s^{-1}$ ,  $D_{Freq(min)}$  is independent on  $D_{Factor}$  and equal to 500 kHz. For such a small  $D_{Factor}$ , there is no obvious voltage attenuation within the first cycle of the bi-polar trigger waveform (i.e.  $-V_{Peak}$  will not be serious attenuated). Thus, for a given  $V_P$ , the occurrence of TLU is dominated by the time period needed for  $V_{DD}$  increasing from  $-V_{Peak}$  to the normal operating voltage (+2.5V), i.e. the  $D_{Freq(min)}$  of 500 kHz, but not dominated by the  $-V_{Peak}$  which is a function of  $D_{Factor}$ . As a result, for a low  $D_{Factor}$  ( $<1 \times 10^5 s^{-1}$ ),  $D_{Freq(min)}$  is independent to  $D_{Factor}$ . In addition, for the given  $V_P$  of +15V or -15V,  $D_{Freq(min)}$  are the same due to the equal  $-V_{Peak}$ , because no obvious voltage attenuation within the first cycle of the bi-polar trigger waveform for such a small  $D_{Factor}$ .

For  $D_{Factor}>2\times10^3 s^{-1}$ , however,  $D_{Freq(min)}$  increases with  $D_{Factor}$ . Such a larger  $D_{Factor}$  will result in a larger voltage attenuation (i.e. smaller -V<sub>Peak</sub>) within the first cycle of the bi-polar trigger waveform. Thus, for a

given  $V_P$ , the occurrence of TLU is dominated by the -V<sub>Peak</sub> which is a function of D<sub>Factor</sub>, but not dominated by the time period needed for V<sub>DD</sub> increasing from - $V_{Peak}$  to the normal operating voltage (+2.5V), i.e. the D<sub>Freq(min)</sub> of 500kHz. In order to provide a known fixed -V<sub>Peak</sub> to initiate TLU, a higher D<sub>Freq(min)</sub> (shorter duration) is necessary for a larger-D<sub>Factor</sub> bi-polar trigger waveform to compensate a larger voltage attenuation. In addition, with  $V_P$  of +15V,  $D_{Freq(min)}$  is higher than that with V<sub>P</sub> of -15V. Compared with the negative-going bi-polar trigger waveform (V<sub>P</sub> of -15V), the positive-going bi-polar trigger waveform  $(V_P \ of +15V)$  has a smaller  $-V_{Peak}$  because it must take an additional half duration for decaying before it reaches to -V<sub>Peak</sub>. Thus, a higher D<sub>Freq(min)</sub> is necessary for positive-going bi-polar voltage to compensate an additional voltage attenuation within the half duration of the bi-polar trigger voltage if the minimum -V<sub>Peak</sub> to initiate TLU is fixed.

### D. Relations between $D_{Factor}$ and Maximum $D_{Freq}$ to Initiate TLU

With a fixed  $V_P$  of both +15V and -15V, the relations between  $D_{Factor}$  and  $D_{Freq(max)}$  are shown in Fig. 13.  $D_{Freq(max)}$  is defined as the maximum  $D_{Freq}$  to initiate TLU. If the  $D_{Freq}$  of bi-polar trigger waveform is higher than  $D_{Freq(max)}$ , TLU will not be triggered on due to the following two reasons. First, for a small  $D_{Factor}$ , although there is no serious voltage attenuation within the first cycle of the bi-polar trigger waveform (i.e.  $-V_{Peak}$  will not be serious attenuated), TLU doesn't occur.  $I_{DD}$  cannot follow the  $V_{DD}$  variation in time for a high- $D_{Freq}$  bi-polar trigger waveform, so the duration of such a high- $D_{Freq}$  bi-polar trigger waveform is not long enough to sustain the positive-

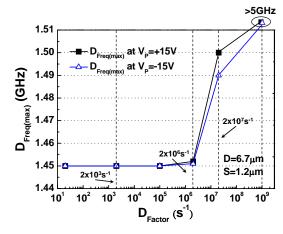


Fig. 13. The relations between  $D_{Factor}$  and  $D_{Freq(max)}$ .  $D_{Freq(max)}$  is defined as the maximum  $D_{Freq}$  to initiate TLU under a fixed  $V_P$  of +15V or -15V.

feedback latchup event. That is, the occurrence of TLU is dominated by  $D_{Freq}$ . Second, for an excessively large  $D_{Factor}$ , there is still a voltage attenuation within the first cycle of the high- $D_{Freq}$  bipolar trigger waveform, so there is no large enough -  $V_{Peak}$  to provide sufficient  $I_{Sb}$  to initiate TLU.

For  $D_{Factor} < 1 \times 10^5 s^{-1}$ ,  $D_{Freq(max)}$  is independent to  $D_{Factor}$  and equal to 1.45GHz in Fig. 13. For such a small  $D_{Factor}$ , there is no obvious voltage attenuation within the first cycle of the bi-polar trigger waveform (i.e. -  $V_{Peak}$  will not be serious attenuated). Thus, for a given  $V_P$ , the occurrence of TLU is dominated by the time period needed to sustain a positive-feedback latchup event, i.e. the  $D_{Freq(max)}$  of 1.45GHz, but not dominated by the - $V_{Peak}$  which is a function of  $D_{Factor}$ . As a result, for a low  $D_{Factor}$  ( $<1 \times 10^5 s^{-1}$ ),  $D_{Freq(max)}$  is independent to  $D_{Factor}$ . In addition, for the given  $V_P$  of +15V or -15V,  $D_{Freq(max)}$  are the same due to the equal - $V_{Peak}$ , because no obvious voltage attenuation within the first cycle of the bi-polar trigger waveform for such a small  $D_{Factor}$ .

For D<sub>Factor</sub>>1×10<sup>5</sup>s<sup>-1</sup>, however, D<sub>Freq(max)</sub> increases with D<sub>Factor</sub> due to a larger voltage attenuation (i.e. smaller -V<sub>Peak</sub>) within the first cycle of the bi-polar trigger waveform. Thus, for a given V<sub>P</sub>, the occurrence of TLU is dominated by the -V<sub>Peak</sub> which is a function of D<sub>Factor</sub>, but not dominated by the time period needed to sustain a positive-feedback latchup event, i.e. the D<sub>Freq(max)</sub> of 1.45GHz. In order to provide a known fixed -V<sub>Peak</sub> to initiate TLU, a higher D<sub>Freq(max)</sub> (shorter duration) is necessary for a larger-D<sub>Factor</sub> bi-polar trigger to compensate a larger voltage attenuation. In addition, with  $V_P$  of +15V,  $D_{Freq(max)}$  is higher than that with  $V_P$  of -15V. The reason is that a higher  $D_{Freq(max)}$ is necessary to compensate an additional voltage attenuation because the positive-going bi-polar voltage takes additional half duration for decaying before it reaches to -V<sub>Peak</sub>.

From above comprehensive simulation results, it's useful to qualitatively evaluate an optimal bi-polar trigger source which can efficiently evaluate the TLU immunity of CMOS ICs without over estimation. In Fig. 8, it can be founded out that the bi-polar trigger waveform with  $D_{Freq}$  of several tens of megahertz can initiate TLU most easily, because there is a lowest  $V_{P^+}$  ( $V_{P^-}$ ) (i.e. most sensitive to TLU) of SCR for  $10MHz < D_{Freq} < 100MHz$ . Otherwise, TLU is less sensitive to bi-polar trigger waveforms with an excessively large  $D_{Factor}$  (Fig. 7), an excessively high  $D_{Freq}$  (Fig. 8), or an excessively low  $D_{Freq}$  (Fig. 8). In addition, the relations among  $D_{Factor}$ ,  $D_{Freq(min)}$ ,  $D_{Freq(max)}$ 

also provide the useful information for characterizing bi-polar trigger waveform to initiate TLU.

### IV. Experimental Verification

The simulation results in this work can be experimentally verified with the TLU measurement setup in Fig. 2. Figs. 14 and 15 show the TLU levels of the fabricated SCR devices with various geometrical parameters. The TLU level is defined as the minimum positive (negative)  $V_{\text{Charge}}$  which can trigger on TLU. The magnitudes of the negative TLU level (<9V) of all the SCR structures are smaller than that of the positive TLU level (>13V) unless the SCR is latchup-free (i.e. latchup holdinging voltage is larger than +2.5V). With the measured bi-polar trigger waveform in Fig. 3(a),  $D_{\text{Freq}}$  is about 8MHz (duration is about 125ns) and  $D_{\text{Factor}}$  is about 1.5×10<sup>6</sup>s<sup>-1</sup> (estimation from (1)). From the simulation results in

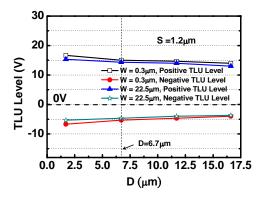


Fig. 14. The measured TLU level of the SCR with various D and W but a fixed S of 1.2µm. The magnitudes of the negative TLU level (<9V) of all the SCR structures are smaller than that of the positive TLU level (>13V).

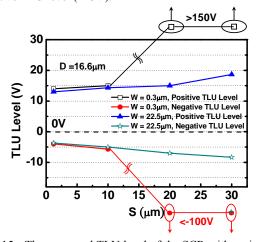


Fig. 15. The measured TLU level of the SCR with various S and W but a fixed D of  $16.6\mu m$ . The magnitudes of the negative TLU level (<9V) of all the SCR structures are smaller than that of the positive TLU level (>13V) unless the SCR is latchup-free.

Figs. 7 and 8,  $V_{P-}$  is smaller than  $V_{P+}$  for bi-polar trigger voltage with  $D_{Freq}$  of 8MHz and  $D_{Factor}$  of  $1.5\times10^6 s^{-1}$ . The experimental verifications in Figs. 14 and 15 are consistent with the device simulation results in Figs. 7 and 8.

### V. Conclusion

The dependences of damping frequency and damping factor of bi-polar trigger waveforms on transient-induced latchup have been characterized with device simulation and experimental verification. From the simulation results, the bi-polar trigger waveform with  $D_{\text{Freq}}$  of several tens of megahertz can initiate TLU most easily. TLU is less sensitive to bi-polar trigger waveforms with an excessively large  $D_{\text{Factor}}$ , an excessively high  $D_{\text{Freq}}$ , or an excessively low  $D_{\text{Freq}}$ . Thus, it's useful to qualitatively evaluate an optimal bi-polar trigger source which can efficiently evaluate the TLU immunity of CMOS ICs without over estimation. The simulation results analyzed in this work have been practically verified with the SCR test structures fabricated in a 0.25- $\mu$ m CMOS technology.

### References

- [1] S. Voldman, "Latch-up it's back," in *Threshold Newsletter*, ESD Association, Sep./Oct., 2003.
- [2] S. Bargstätd-Franke, W. Stadler, K. Esmark, M. Streibl, K. Domanski, H. Gieser, H. Wolf, and W. Bala, "Transient latch-up: experimental analysis and device simulation," in *Proc. EOS/ESD Symp.*, 2003, pp. 70-78.
- [3] J. T. Mechler, C. Brennan, J. Massucco, R. Rossi, and L. Wissel, "Contention-induced latchup," in *Proc. IRPS*, 2004, pp. 126–129.
- [4] K. Domanski, S. Bargstadt-Franke, W. Stadler, M. Streibl, G. Steckert, and W. Bala, "Transient-LU failure analysis of the ICs, methods of investigation and computer aided simulations,"

- in Proc. IRPS, 2004, pp. 370-374.
- [5] K. Chatty, P. Cottrell, R. Gauthier, M. Muhammad, F. Stellari, A. Weger, P. Song, and M. McManus, "Model-based guidelines to suppress cable discharge event (CDE) induced latchup in CMOS ICs," in *Proc. IRPS*, 2004, pp. 130–134.
- [6] K. Domanski, S. Bargstätd-Franke, W. Stadler, U. Glaser, and W. Bala, "Development strategy for TLU-robust products," in *Proc. EOS/ESD Symp.*, 2004, pp. 299-307.
- [7] G. Boselli, V. Reddy, and C. Duvvury, "Latchup in 65nm CMOS technology: a scaling perspective," in *Proc. IRPS*, 2005, pp. 137–144.
- [8] S. Voldman, "Latchup and the domino effect," in *Proc. IRPS*, 2005, pp. 145–156.
- [9] IEC 61000-4-2 Standard, "EMC Part 4-2: Testing and measurement techniques – Electrostatic discharge immunity test," IEC, 2001.
- [10] M.-D. Ker and S.-F. Hsu, "Transient-induced latchup in CMOS technology: physical mechanism and device simulation," in *IEDM Tech. Dig.*, 2004, pp. 937–940.
- [11] EIA/JEDEC Standard No. 78, "IC Latch-up Test," Electronic Industries Association, 1997.
- [12] I. Morgan, C. Hatchard, and M. Mahanpour, "Transient latch-up using an improved bi-polar trigger," in *Proc. EOS/ESD Symp.*, 1999, pp. 190–202.
- [13] M.-D. Ker and S.-F. Hsu, "Evaluation on efficient measurement setup for transient-induced latchup with bi-polar trigger," in *Proc. IRPS*, 2005, pp. 121–128.
- [14] M.-D. Ker and Y.-Y. Sung, "Hardware/firmware co-design in an 8-bits microcontroller to solve the system-level ESD issue on keyboard," in *Proc. EOS/ESD Symp.*, 1999, pp. 352–360.